2024 Sandia Blade Workshop



Yaw augmented frequency regulation

Dennice F. Gayme Department of Mechanical Engineering Johns Hopkins University dennice@jhu.edu











Ralph O'Connor Sustainable Energy Institute (ROSEI)`

- Vision: We see a world fueled by carbon-free energy abundance where no individual or community lacks access to these resources.
- Mission: Research, Education and Translation for the Energy Transition.
- **Values:** Innovation, Education, Equity, Community
- ► Founded: Earth Day 2021



Hub staff report / @ Apr 22, 2021

education

With a \$20 million gift from the estate of trustee emeritus and alumnus Ralph S. O'Connor, the Johns Hopkins University and its Whiting School of Engineering today announced the establishment of the Ralph S. O'Connor Sustainable Energy Institute (ROSEI) to serve as the university's interdisciplinary home for ongoing research and education aimed at creating clean, renewable, and sustainable energy technologies.



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ROSEI team: wind energy



In-silico wind farm Large-Eddy-Simulations using the JHU-LES code Simulation details: <u>Stevens, R. J., Gayme, D. F., & Meneveau, C.</u> (2016). *Wind Energy*, *19*, 359-370. Visualization: D. Brock (Extended Services, XSEDE)

Energyat Hopkins

| Related Expertise | ROSEI Faculty |
|--|---|
| Wind power grid integration, | Yury Dvorkin, |
| markets, systems modeling | Elec Eng Civil & Systems Eng. |
| Wind farm modeling and control, grid integration | Dennice Gayme, Mech. Eng. |
| Wind power grid integration, | Ben Hobbs, |
| markets | Env. Eng. |
| Wind farm simulation, wake modeling | Charles Meneveau, Mech. Eng. |
| Atmospheric modeling, | Julie Lundquist |
| metocean modeling | Earth & Planetary Sci./MechE |
| Wind harvesting, flow physics, fluid-structure interaction | Rajat Mittal, Mech. Eng. |
| Wind tower structures, design and optimization | Ben Schafer, Civil & Systems Eng. |
| Wind tower reliability, | Michael Shields, |
| uncertainty quantification ML | Civil & Systems Eng. |
| Wind policy, social acceptance, | Johannes Urpelainen , |
| int'l markets | Political Science |





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+ Affiliate universities, funders, and broad suite of stakeholder/engagement partners

Empower, Engage, Innovate







Broad view of ROSEI Faculty Expertise:

Engineers

Chemical Eng, Materials Science, Electrical Eng., Mechanical Eng., Civil Eng., Systems Eng., Env. Eng., App. Math Scientists

Chemistry, Earth Sciences, Physics Social Scientists

Economics, Political Science, Sociology, Anthropology

Energy at Hopkins





ROSEI Research Pillars and Cross-Cutting Areas







Wind farm power tracking

 Secondary frequency regulation is an important grid service that requires power tracking





- Reduce bulk power supply (i.e. do not maximize power output) $P_0 = (1 \alpha) P_{max}$
 - Derate the turbine by some percentage $\alpha \times 100\%$
- Ideally up-ramp capability (upramp) $\gamma > \alpha$ (derate)

Frequency regulation: Challenges

- Direct economic trade-off between bulk power supply and regulation
 - Ideally up-ramp capability $\gamma > \alpha$ (derate) Not possible with a single turbine
- Individual turbine control (i.e., failure to take wake effects into account) even with $\gamma = \alpha$ fails even in small farms (except if $\gamma << \alpha$ e.g., van Wingerden et al. 2017)



• Previous work using dynamic models that account for wake propogation have reduced required derates e.g., Shapiro et al. 2017, 2018, 2019; Vali et al 2018

Power tracking control

- Previous work using dynamic models that account for wake propogation have reduced required derates e.g., Shapiro et al. 2017, 2018, 2019; Vali et al 2018
- Pitch control can saturate in power tracking applications due to finite control authority





Genevieve Starke

Yawing turbines

• Yawing turbines has been shown to increase power output e.g. Howland et al. 2019, 2022, Fleming et al. 2017, Gebraad et al. 2016, Campagnolo et al. 2016



Figure adapted from Howland et al. 2019 demonstrating yaw optimization for power maximization

- Mostly in static setting and not taken in the timescales associated with dynamic yawing behavior (e.g. rate of yawing) the behavior of the farm as the effect of yaw actions propagate downstream
- Idea: use yaw to increase control authority in power tracking applications
 - Previously demonstrated in power maximization and tracking that did not aim to reduce derates e.g., Munters & Meyers 2018, Boersma et al 2019a, 2019b

Yaw augmented power tracking

- Inner-outer loop control architecture
- Outer loop
 - model-constrained optimal control for the yaw
- Inner Loop
 - PI pitch controller



Inner loop: PI pitch control

• Control local thrust coefficient as a proxy for pitch

$$\Delta C_{T,i}' = k_p e_{P,i}(t) + k_i \int_{T_{k_i}} e_{P,i}(\tau) d\tau$$

Time [m]



• Use measurements to distribute power reference across the turbines $1/T \int P_{\text{Enc}}(\tau) d\tau$

$$P_{\text{Ref},i} = \frac{1/T_{C_{T}'} \int_{T_{C_{T}'}} P_{\text{LES},i}(\tau) d\tau}{1/T_{C_{T}'} \int_{T_{C_{T}'}} P_{\text{LES}}(\tau) d\tau} P_{\text{Ref}}$$

 k_p , k_i : Proportional and integral gain

 T_{k_i} : integral time

Incorporating power changes due to yaw actions

- Changes in power due to yaw are incorporated into the inner loop as a feedforward term
 - linear approximation for the change in the thrust around the cosine the angle change

$$\Delta C_{T,\gamma}' = \frac{\partial \Delta C_T'}{\partial \cos(\gamma)} \left[\cos(\gamma_2) - \cos(\gamma_1) \right]$$

$$\Delta C_T' = k_p e_P(t) + k_i \int_{T_{k_i}} e_P(\tau) d\tau + \Delta C_{T,\gamma}'$$



Outer loop yaw control (initial implementation)

• Optimize the cost function for a single yaw angle for each control period

$$J(\gamma) = \left(\int_{0}^{T_{H}} \left(P_{GM} - P_{ref}\right)^{2} dt\right)$$

 T_H : time horizon γ : turbine yaw T_{γ} : Yaw update interval

• Trade off: Easier to implement but less efficient and requires more updates for accuracy



Computing time-dependent yaw angles

• Graph model of a wind farm (extends the approach in Annoni et al. 2019a, 2019b)



Divide the farm into weakly-connected subgraphs based on a leader (node) turbine *G*(*N*, *E*) = {*g*₁, *g*₂, ···, *g_m*}

Generating a graph of an arbitrary wind farm geometry

• Define local turbine areas using Voronoi tessellation



Generating a graph of an arbitrary wind farm geometry

• Define local turbine areas using Voronoi tessellation



- Given an initial wind direction
 - Lead turbines and interconnections are defined based on the cells crossed as one traverses to the front of the farm
 - The wakes are defined using a linear wake growth (e.g. Jensen 1983 model)

Generating a graph of an arbitrary wind farm geometry

• The turbine wakes are described using linear wake growth



Change in wind farm condition = new graph topology



State dynamics

State Update Map $\Phi_{k+1} = \Phi_k + E_k$

- States: deficits between turbine pairs ϕ_i^j
 - $\boldsymbol{\Phi}_{k} = \begin{bmatrix} \boldsymbol{\phi}_{1}^{1} & \boldsymbol{\phi}_{1}^{2} & \boldsymbol{\phi}_{1}^{3} & \dots & \boldsymbol{\phi}_{1}^{N} & \boldsymbol{\phi}_{2}^{1} & \dots & \boldsymbol{\phi}_{N}^{N-1} & \boldsymbol{\phi}_{N}^{N} \end{bmatrix}^{T}$



• Deficit model needs to account for deflection and curling of the wake



(c) Howland et al (2016)



Dynamic graph for yawing turbine

Linear Map
$$\Phi_{k+1} = \Phi_k + E_k$$

Normalized deficits at turbine *i* due to turbine *j* based on analytical curled model Bastankhah et al, 2021

$$\phi_i^j = \frac{1}{Area_{j^{th} disk}} \int_{Area_{j^{th} disk}} C(\Delta x_{i,j}) \exp\left[-\frac{(y-y_c)^2 + (z-z_h)^2}{2\sigma(\Delta x_{i,j},\theta)^2}\right] dy dz$$



Dynamic graph for yawing turbine

Linear Map
$$\Phi_{k+1} = \Phi_k + E_k$$

 $\sigma(x,\theta) = k x + 0.4\xi(x,\theta)$

Normalized deficits at turbine *i* due to turbine *j* based on analytical curled model Bastankhah et al, 2021

$$\phi_i^j = \frac{1}{Area_{j^{th} disk}} \int_{Area_{j^{th} disk}} C(\Delta x_{i,j}) \exp\left[-\frac{(y-y_c)^2 + (z-z_h)^2}{2\sigma(\Delta x_{i,j},\theta)^2}\right] dy dz$$







wake shape over distance, polar angle

gure from Bastankhah et al, 2021

Solid lines: model results; symbols: LES results for different yaw angles

State update map $\Phi_{k+1} = \Phi_k + E_k$

Event Driven Input
$$E_k(\Phi_{e,k}, \tau_{e,k}, \Delta \mathcal{E}_{e,k})$$

 $= \frac{D \Delta T_i^J}{u_i}$: Edge weights based on delays associated with information propagation over each edge

 $\Delta \mathcal{E}_{e,k}$: a list of the edge changes

• System graph changes each timestep k (e.g. wind direction change over N timesteps)



 $\tau^{j}_{k,(i)} = -$

Wind direction change over N update steps

$$\Phi_{k+1} = \Phi_k + E_k$$



 $\Delta T_i^j = \frac{|x_j - x_i|}{2}$

 i, x_i

System of equations

Update map $\Phi_{k+1} = A \Phi_k + E_k$ System output $\alpha_{k+1} = \Lambda(\tau_k) \Phi_k(\tau_k)$

Velocity at each turbine (disk velocity)

$$U_{d,k+1} = U_{\infty} (1 - \alpha_{k+1}) \left(1 - \frac{C_T'}{4 + C_T'} \right)$$

Linear wake superposition



Turbine power output

$$P_{k} = \frac{1}{2} \rho \left(\frac{1}{4} \pi D^{2}\right) U_{d,k+1}^{3} C_{P}^{\prime}$$



Yaw model validation: static case

• Static study using JHU LESGO code (Open source code at: https://github.com/lesgo-jhu)



Dynamic yaw model validation

• Dynamically yaw the first turbine 15 degrees at 150 s



JHU LESGO code phase-averaged over 120 realizations



[Starke et al. Preprint]

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Preliminary control test case



Frequency regulation results (preliminary)



0.90

0.97

0.93

1.01

RegA

RegD

0.90

0.82

0.82

0.84

0.84

0.85

0.85

0.92

[Starke et al. ACC 2023]

Yaw augmented pitch control (preliminary conclusions)

- Overall use of yaw for power tracking is complicated by the timescales (yaw is slow)
- Yaw seems to have added benefit when derates are lower
 - Noted benefit if the system is using greedy control (maximum thrust coefficient)
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- Implementation of receding horizon approach in yaw loop may improve these results
 - New approaches needed
 - Computational trade-off needs to be examined

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